Validation of HART II Structural Dynamics Predictions Based on Prescribed Airloads

Jeong H. Sa^{*}, Young H. You^{**}, Jae S. Park^{***}, Soo H. Park^{****} and Sung N. Jung^{*****}

Department of Aerospace Information Engineering, Konkuk University, South Korea

Abstract

In this study, the accuracy of CSD (Comprehensive Structural Dynamics) analysis on the evaluation of blade aeroelastic responses and structural loads of HART(Higher harmonic Aeroacoustic Rotor Test) II baseline rotor is assessed using a comprehensive rotorcraft dynamics code, CAMRAD II, and a nonlinear flexible multi-body dynamics analysis code, DYMORE. Considering insufficient measurement data for HART II rotor, prescribed airloads computed by a three-dimensional compressible flow solver KFLOW are used to replace the lifting-line airloads and thereby enhance the prediction capability of the comprehensive analyses. The CSD results on blade elastic deflections using the prescribed airloads indicate more oscillatory behavior than those by lifting-line based approaches, but the wave pattern becomes improved by including artificial damping into the rotor system. It is demonstrated that the structural load predictions are improved significantly by the prescribed airloads approach against the measured data, as compared with an isolated CSD analysis

Key words: HART II rotor, comprehensive code, prescribed airloads, artificial damping

1. Introduction

Even with the advent of modern computational power and state-of-the-art solution technologies, a reliable aeroelastic analysis of helicopter rotors is still a challenging task due to the complex aerodynamic environment around the rotor disk and its strong interaction with the blade motions during the operation. One of the important features over the flow field is the blade vortex interaction (BVI), which generates the most annoying and intrusive noise from helicopter rotors [1]. The BVI is caused by the interaction between the rotor blades and their trailed wakes and this occurs mainly in low speed transition and maneuvering flights and causes significant noise and vibration problems. In order to understand the formation of vortex wakes and their interaction leading to noise and vibration, an international collaborative work, HART II [2], was conducted in 2001, followed by the earlier HART I [1]. Particularly, the goals of the tests were to measure

the noise level, airloads, vortex wakes, and blade motions.

With the measured data set accumulated from the tests, a variety of correlation studies have been performed [3-12]. These range from low-order CSD (Comprehensive Structural Dynamics) methods [3-7], hybrid methods [8-9], and more sophisticated CSD/CFD (Computational Fluid Dynamics) coupled approaches [10-12]. Most CSD codes adopt a lifting-line type aerodynamic model coupled with various levels of vortex wake representation, resulting in first-principle aeroelastic analysis solutions at a reasonable cost. This offers many advantages over other heavier computational methods. However, it is generally conceived that the CSD approaches alone lack critical accuracy, especially in the prediction of vibration, loads, and noise level of helicopter rotors. Therefore, a high resolution CFD solver is required in any form and should be combined with CSD codes in the evaluation of the rotor flow fields.

An interesting and alternative way for the aeroelastic

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©

* Graduate Research Assistant

** Graduate Research Assistant

*** Research Professor

**** Associate Professor

***** Professor. Corresponding Author. Email: snjung@konkuk.ac.kr

analysis could be the “mechanical airloads” approach where the distribution of airloads along the span and azimuth of the rotor is prescribed using the favorable measurement data obtained from the wind tunnel or flight tests. Ormiston [13], Ho et al. [14], and Datta et al. [15] applied this method to examine the structural dynamic response of UH-60A rotor blades using the measured airloads data. This has originally been used to determine whether the possible sources of deficiencies resulted from either aerodynamic or structural discipline, in the prediction of aeroelastic responses. This technique is simple to apply and quite promising, however, the accurate measurement of air data around the rotor blades should be made priori and also available at the time of application. In case of HART II, only one radial location (87% radius) along the blade span was arranged to measure the pressure data and, hence, this would not be sufficient enough to cover the whole blade. Because of the limited data set for the HART II measurement, no prior attempt has been made to use the “mechanical airloads” approach.

In the present study, the accuracy of the CSD model on the estimation of blade aeroelastic responses and structural loads of the HART II rotor is assessed by adopting the “mechanical airloads” approach. Instead of using measured airloads whose data are scarce in the HART II case, computed airloads obtained using a three-dimensional compressible flow solver KFLOW are prescribed along the blade span and azimuth variations and replaced with the CSD lifting-line airloads. In cases where the computed airloads are used to prescribe the aerodynamic loads, the prediction capability of the CFD analysis is crucial for accurate and realistic analysis results and these should be comparable with the measurement records. In order to satisfy the requirement, a refined grid system having approximately 19.2 million calculation cells as well as higher-order time integration schemes are employed in the CFD analysis. In addition, the inboard region of the blades is modeled as closely as possible with the experimental test specimen of HART II blades.

There is no argument that a full CSD/CFD coupling is desirable in the end, however, this kind of intermediate approach should be necessarily performed to gain knowledge about different levels and categories specified at each discipline, separated between the aerodynamic and structural aspects, with an enhanced view of correlation. In this regard, this work can serve as a stepping stone toward higher fidelity but a computationally heavier CFD/CSD coupling approach.

Numerous collections of publications can be found in the official HART II web site [16]. Most of the research is focused on the aerodynamic and aeroacoustic aspects of the rotor, and there is clearly a lack of published efforts on

the structural dynamic aspects of the HART II rotor. A few exceptions are Lim et al. [3], Lim [10], and Kumar et al. [6]. They used a single CSD code to validate their predictions. The present approach adopts two different comprehensive codes, DYMORE [17] and CAMRAD II [18], to systematically validate the structural dynamic responses, to cross check the analysis results, and hence to bridge the gap in the literature before more advanced CFD/CSD coupled aeroelastic analysis is performed.

2. Methodologies

2.1 HART II Test

The HART II test was conducted in the open-jet anechoic test chamber having an 8m x 6m cross-section in the German-Dutch wind tunnel (DNW). The rotor was in descent flight conditions with an advance ratio $\mu/0.15$, a shaft tilt angle $\alpha_s=5.3\text{deg.}$ (4.5 deg. after the wind tunnel wall correction), a hover tip Mach number $M=0.6387$ and a thrust level $C_T=0.00457$.

For the HART II rotor, 40% Mach-scaled models of the production BO-105 hingeless rotors were built and fabricated. The blades were dynamically scaled to match the natural frequencies of the first three flapping modes, the first two lag modes, and the first torsion mode of full-scale versions. The chord length was increased by 10% to compensate for the Reynolds number error of the scaled blades. The blades had a rectangular platform shape with -8 deg. linear pre-twist and 2.5 deg. pre-cone. The blades had a NACA23012 airfoil with a trailing-edge tab. The general properties of HART II blades are given in Table 1.

Table 1. General properties of the HART II rotor blades

Properties	Values
Number of blades, N	4
Radius, R	2.0 m
Root cutout	0.44 m
Chord length, c	0.121 m
Solidity,	0.077
Blade mass	2.24 kg
Lock number	8.06
Nominal rotor speed, Ω	1041 rpm

The cross-section of blades was composed of the C-type spar, skin, and foam core. Both the skin and spar were made of glass fiber. The number 1 blade in the rotor system was designated as the reference blade and defined the rotor azimuth. Each blade was instrumented with six strain

gauges: three for flap, two for lead-lag, and one for torsion, while the reference and opposite blades (numbered one and three) were equipped with a root pitch sensor. The pitch link loads were also measured with a strain gauge attached to the pitch links. The deflections of HART II blades were measured optically by using the SPR (Stereo Pattern Recognition) technique. To this purpose, 18 markers were distributed along the blade span and attached at both leading and trailing edges with equal spacing starting from a 22.8% radial location until the blade tip. The elastic blade motion was defined with respect to the rotor hub coordinate system. Both the flap and lead-lag motions were then obtained based at the quarter chord line from the measured set of data.

2.2 CFD Solver

A three-dimensional compressible flow solver called KFLOW is used to obtain the computational fluid dynamics (CFD) airloads around the HART II rotor. The KFLOW [19] is a parallelized multi-block structured, Navier-Stokes solver and is capable of computing time-accurate moving body problems by employing a CHIMERA overlapping grid system. An accurate 2nd-order dual-time stepping method combined with the diagonalized alternating-direction implicit (DADI) method is used to advance the solution in the time domain. The inviscid flux is calculated using the 5th order Weighted Essentially Non-Oscillatory (WENO) scheme and the central differencing is used to obtain the gradients of the viscous flux. The $k-\omega$ Wilcox-Durbin (WD+) along with Spalart-Allmaras models are used for the turbulence models. It should be mentioned that, taking into account the HART II test conditions where viscous boundary layers over the blades were well attached, the viscous terms in the original KFLOW solver were turned off for efficient computations. Characteristic boundary conditions using the Riemann invariant are applied at the far field boundary, whereas a no-slip or slip condition is applied at the solid wall of the blade.

In the aeroelastic simulation of a rotor system, the elastic blade deformations lead to changes in grid cell volumes, necessitating rigorous enforcement of the GCL (Geometric Conservation Law) [20], which states that the increase of a moving cell must be equal to the sum of the variations along the surfaces that enclose the volume. The GCL is applied to meet the conservative relations of the surfaces and volumes of the control cells in a moving grid system. The measured blade motion data taken from the HART II experiment are imposed on the blade movement at each time step. The converged solution at each physical time step is updated using a modified volume calculated from the GCL.

A moving overlapped Chimera grid system with two

different types of grids (blade grid and background grid) is employed for the computation. Figure 1 presents a close-up view of the C-type grid around the blade as well as a perspective view of the grid system for the whole computational domain of the HART II blades. The blade grids extend 1.5 times that of the chord length c away from the blade surface in all directions. In order to capture the blade-vortex interaction adequately, the body grids are clustered near the leading edge, trailing edge, and blade tip regions. They are also clustered in the normal direction near the wall of the boundary. The background grids consist of an inner region that extends 8 chord lengths above, 8 chord lengths below from the rotor disk plane, and 2 chord lengths away from the blade tip. This inner region has uniform spacing in all directions. The farfield boundary extends 5 times larger than the blade radius R from the rotor hub. The background grid spacing is chosen as $0.1c$, after a series of grid sensitivity studies [19].

2.3 CSD Analysis

Two different CSD codes are used to gain confidence and double-check the analysis results. A nonlinear flexible multi-body dynamics code DYMORE [17] and a comprehensive aeroelastic analysis code CAMRAD II [18] are employed for this purpose. Each of the CSD codes is briefly described in this section.

2.3.1 DYMORE

DYMORE is a nonlinear flexible multibody dynamics analysis code that includes rigid bodies, rigid/elastic joints, and elastic bodies such as beams, plates, and shells to model and deal with a rotor system having complex topologies and geometries. It uses a geometrically exact beam theory [21] for the representation of the elastic blade. For the aerodynamic forces and moments, a two-dimensional airfoil theory with an airfoil table look-up is used along with a finite-state dynamic inflow model [22]. This inflow model is an intermediate level of the wake representation compared with the more sophisticated free wake methods. To improve the rotor wake modeling capability, Roget [23] incorporated a time marching free vortex wake method, called the UM free wake model [24], into DYMORE.

The UM free wake analysis is based on a potential flow with the vorticity being concentrated on a finite number of vortex filaments. The motion of a point on a vortex filament is described by the motion of Lagrangian fluid markers as:

$$\frac{d\mathbf{r}(\psi, \zeta)}{dt} = \mathbf{V}(\mathbf{r}(\psi, \zeta)) \quad (1)$$

where $\mathbf{r}$ is the position vector of the point on the vortex

filament and $\mathbf{V}$ is the local fluid velocity at the point $\mathbf{r}$. In addition, ψ and ζ denote the blade azimuth angle and wake age, respectively. The vorticity transport equation is constructed using Eq. (1) as:

$$\frac{d\mathbf{r}(\psi, \zeta)}{d\psi} + \frac{d\mathbf{r}(\psi, \zeta)}{d\zeta} = \frac{\mathbf{V}(\mathbf{r}(\psi, \zeta))}{\Omega} \quad (2)$$

where Ω is the rotational speed. The left-hand-side of Eq. (2) is a one-dimensional wave equation. The complexity of the problem comes from the right-hand-side term, which is highly nonlinear. In order to solve Eq. (2), the domain (ψ, ζ) is discretized into finite steps, while the derivatives in the left-hand-side are approximated by the finite difference scheme. The discretized equation is integrated using the time marching algorithm like the predictor-corrector method with the 2nd-order backward difference, as proposed by Bhagwat and Leishman [24] and later modified by Roget [23].

The trailed near wake is also taken into account to improve the accuracy of the solution. The near wake consists of a series of vortex filaments trailing behind the blades for a given angular distance. The trailed vortices comprise the near wakes, which are assumed to be planar with a fixed angular distance. The tip vortex that constitutes the free wake extends beyond the near wake with the strength equal to the maximum bound circulation along the blade. The strength of the blade bound vorticity is determined from the induced velocity at the control points.

The computational parameters used for the analysis of free wake require careful investigation before practical use. A total of 150 markers are used for the tip vortex wake while the number of near wake segments is 3. In addition, the azimuthal step size $\Delta\psi$ and wake age discretization $\Delta\zeta$ are chosen as 1 deg. and 5 deg., respectively, and the trailing vortices near the wake region are set to 30 degrees.

2.3.2 CAMRAD II

CAMRAD II is a comprehensive aeromechanical analysis code that is characterized by multibody dynamics, nonlinear finite elements, and various levels of rotorcraft aerodynamics [18]. For structural analysis, the blade motion consists of the sum of rigid body motion and elastic deformation. Rigid body motion describes the motion of one end of a beam element, and elastic motion is measured relative to the rigid motion. The beam elements are represented by three translational (axial, flap, and lead-lag) and three corresponding rotational degrees of freedom (DOF) that results in a fifteen DOF for each beam element [18].

The aerodynamic model used in CAMRAD II is based on a lifting-line theory combined with steady two-dimensional airfoil characteristics and the vortex wake. In addition,

attached-flow unsteady aerodynamics along with various dynamic stall models is implemented in CAMRAD II. For the vortex wake model, free wake geometry is used to compute the non-uniform induced inflow distribution around the rotor disk. The formation of the tip vortices is modeled using a simple rolled-up wake model or a multiple trailer with the consolidation model [25]. The rolled-up wake model is based on the feature that a tip vortex forms at the blade tip. Both single and dual peak models are available taking into account the distribution of bound circulation peaks along the blade span. Single-peak model is used in the present study considering the fact that the free stream velocities in the HART II experiment are relatively low ($\mu=0.15$). The multiple trailer wake model is represented by discrete trailed vortex filaments initiated from each of the aerodynamic panel edges. The trailed lines on either side of the panel edges are consolidated into rolled-up vortex line filaments, using the trailed vorticity moment for scaling the rate of roll-up. It is assumed that the trailed filaments are eventually rolled up into a single rolled-up vortex [25].

3. Results and Discussions

The distribution of airloads over the rotor disk is first computed by the CFD solver, KFLOW, using the standard grid system where the background grid spacing is 0.1c, while the time step increment is set to 0.1 degrees along the azimuth. The measured blade motion data are fed into the CFD analysis to take into account the effect of elastic deformation regarding the blades. In parallel, both CAMRAD II and DYMORE predictions using their own lifting-line aerodynamic models are carried out to obtain the blade deflections and structural loads. Next, the CFD airloads data are computed and then prescribed along the span and azimuth of the blades by replacing the lifting-line airloads in the CSD analyses. Finally, the resulting blade deflections and structural loads are compared with the HART II measurement data. Only the baseline (BL) case of the HART II rotor is considered in this study.

3.1 Aerodynamic Loads

The flow field around the HART II rotor is discretized using two different grid systems: blade grid and background grid, as depicted in Fig. 1. The number of cells used for the calculation has a dimension of 169 x 97 x 21 (chordwise, spanwise, and normal) in the blade grid system, while the background grid has a uniform spacing of 0.1 chords in the region around the blades. Approximately 19.2 million cells

including both the blade and background grids are used to model the HART II rotor. In addition to the main blade region that starts from a 22% radial location until the blade tip, the inboard region, covering 10% to 22% of the radial locations, has newly been modeled as closely as possible with the CAD (Computer Aided Design) drawings given in the HART II website. The inboard region has rectangular section shapes having an outer width of 44 mm and an outer height of 16 mm with rounded corners [26]. Figure 2 shows the perspective view of the isolated rotor system and a close-up view of the surface grids distributed over the inboard, transition, and main regions of the blade.

The target conditions for all the trim variables should be met before the correlation is made against the measurement data. The trim targets specified are 3300 N, 20 N-m, and -20

N-m, respectively, for thrust, rolling, and pitching moments [16]. The rolling and pitching moments are defined as positive when the advancing side goes down and when the nose-up motion is induced. Figure 3 presents the change of trim values for the thrust, rolling and pitching moments with respect to the advancement of trim cycles. One trim cycle consists of 2 revolutions of the rotor blade: three quarters for calculation of derivatives and the remaining quarters for solution iteration. As can be seen in the plot, converged solutions are achieved overall after roughly four cycles of trim iteration are proceeded. With the matched trim values, the pitch control settings for the blades are obtained as: 2.51°, 1.39°, -1.16° for collective (θ_0), lateral (θ_{1c}) and longitudinal (θ_{1s}) cyclic angles, respectively.

Fig. 1. Computational grid system for the HART II rotor

Fig. 2. Blade surface grids for the HART II rotor

Fig. 3. Trim histories of thrust and moments of the HART II rotor

(a) Section normal forces

(b) Section pitching moments

Fig. 4. Comparison of section normal forces and pitching moments at an 87% radial location for the HART II blade

(a) Low pass filter signal (1 to 10 /rev)

(b) High pass filter signal (> 10 /rev)

Fig. 5. Comparison of filtered signals for section normal forces at 87% radial location

Figure 4 demonstrates the comparison of the non-dimensionalised section normal force coefficient, $M^2 C_n$, and the pitching moment coefficient, $M^2 C_m$, at an 87% blade radial station between the KFLOW predictions and measurement data, where M is the flow Mach number. The black dotted circles denote the measured data while the blue continuous lines correspond to the KFLOW analysis results. It is seen that there is a slight under estimation of section airloads compared with the measured data, but in general, a good correlation is obtained in terms of both the magnitude and phase of the time history solutions. Particularly, the BVI events at either the advancing or retreating side are captured reasonably well by the current CFD analysis.

In Fig. 5, all airload signals are processed into a low pass

Fig. 6. Enlarged view of high pass filter signals

filter signal (1 to 10/rev) and a high pass filter signal (larger than 10/rev). The low frequency signals in the airloads are mainly associated with structural responses and blade control inputs, while the high frequency signals represent the BVI-induced loadings. A 3/rev behavior of section airloads is clearly seen from the low frequency signals. The phase is correctly matched but the peak-to-peak magnitudes are overestimated by the KFLOW analysis. Figure 6 shows an enlarged view of the high pass filter signal in the azimuthal scale at the advancing and retreating sides of the rotor. In the advancing side, the peak-to-peak values are matched well, however, a slight phase shift is noticed over most of the BVI loadings. Compared with the CFD results, one or two BVI loading signals are missed in the measured data. This might be related with the larger time step size in the HART II measurement data: the measured airloads data have a time resolution of 0.176° while the KFLOW has 0.1° resolution. Whereas in the retreating side, an excellent correlation is

obtained in terms of the number of BVI oscillations and phase angles, in spite of the slight under prediction of the magnitudes. A finer grid system along with a fixed-frame fuselage model may improve the correlation. But, overall, the correlation made at 87% radial station is regarded as acceptable. In the next section, the computed KFLOW airloads are transferred to each of the CSD codes to prescribe the aerodynamic loads (mechanical airloads) over the rotor blades. Figure 7 illustrates the distribution of the section normal forces M^2C_n over the entire rotor disk. The 3/rev loading characteristics as well as the BVI oscillations at the advancing and retreating sides are observed by the contour plot.

3.2 Blade Elastic Deformation

Figure 8 shows the comparison for the time variation of flap, lead-lag, and torsion deformation at the blade tip, respectively, between the measured data and the computed results by CAMRAD II for the BL case. For the CAMRAD II predictions, either the stand-alone computation with a rolled-up free wake model or the combined computation with mechanical airloads is employed. The blade deflections are measured at 24 azimuth positions in increments of 15° . In order to attain a comprehensive correlation, the measured deflections for all four blades are presented together. It is noted that the experimental data exhibits significant blade-to-blade dissimilarities. The sign conventions of the blade deflections are defined as positive when the blade undergoes flap-up, lag-back, and nose-up motions, respectively. The flap deflections are obtained by removing the pre-cone angles from the vertical displacements, while the elastic torsion is obtained by subtracting the pitch control inputs and pre-twist angles from the total geometric pitch angle [7].

Fig. 7. Contour plot of the section normal forces computed by KFLOW

As is demonstrated in Fig. 8, the CAMRAD II results with the rolled-up wake model show a reasonable correlation with measured values for all the elastic deflections, except reduced peak-to-peak magnitudes in flap and elastic torsion and a constant offset amounting 1/3 of the chords

(a) Flap displacement

(b) Lead-lag displacement

(c) Elastic twist deformation

Fig. 8. Comparison of CAMRAD II predictions on the blade tip deflections

in the lead-lag deflection. This constant offset has also been observed by other researchers [6,10]. It is seen that the mechanical airloads analysis improves the correlation, by increasing the peak-to-peak magnitudes of blade deflections. Figure 9 presents the comparison of deflections

(a) Flap displacement

(b) Lead-lag displacement

(c) Elastic twist deformation

Fig. 9. Comparison of DYMORE predictions on the blade tip deflections

made using the DYMORE with the internal aerodynamic model and the prescribed airloads computed by KFLOW. The correlation against measured data is generally good for the DYMORE predictions with internal aerodynamics, while the mechanical airloads analysis demonstrates more oscillatory behavior than that with other methods. The phase shift problem encountered in the mechanical airloads solution on lead-lag deflections is unclear at this moment, and requires further investigation in the future.

The larger oscillatory behavior in the mechanical airloads solution is due to the fact that no adequate amount of damping is present in the analysis system. In conventional aeroelastic analysis, a necessary amount of damping is supplied from an external aerodynamic model. A parametric investigation is carried out to identify the effect of damping on the blade motion of the HART II rotor. Figure 10 presents the influence of damping on the flap and elastic twist deformation at the blade tip obtained using DYMORE, where the damping ratios are varied from 0.02 to 0.5. It should be mentioned that the

(a) Flap displacement

(b) Elastic twist deformation

Fig. 10. Influence of artificial damping coefficients on blade tip deflections

damping coefficients amounting 0.5 are not at all impractical in the motion of helicopter blades, with a view that the flap mode is highly damped [27]. As is illustrated in Fig. 10, the oscillatory response becomes flattened with the increase of

(a) Flap moments at 15% radial station

(b) Lead-lag moments at 14% radial station

(c) Torsion moments at 33% radial station

Fig. 11. Comparison of CAMRAD II predictions on blade structural loads

damping, and a better correlation in terms of peak-to-peak magnitudes is obtained with a damping ratio of 0.5.

3.3 Blade Structural Loads

To measure structural loads, a total of six strain gauges are attached to the inboard region of the blades. In this study, each of 15%, 14%, and 33% blade radial stations is chosen for the comparison of flap bending, lag bending,

and torsion moments, respectively. It should be noted that the mean values of the structural moments were removed from the original test data and thus only the 1/rev and higher harmonic components were compared with each other [10]. It is defined as positive when the blades are bent up (flap bending), when the blades bent toward the leading-edge (lead-lag bending), and when the pitch-up motion occurs (torsion moment), respectively.

Figure 11 shows the comparison of the flap bending, lead-lag bending, and torsion moments at specified radial locations obtained by the CAMRAD II with either the internal aerodynamics or mechanical airloads, against the measurement data. The correlation is acceptable for the internal CAMRAD II predictions on lead-lag bending and torsion moments, while the correlation is poor for the flap bending moments. The mechanical airloads approach greatly improves the flap bending moment predictions in terms of the magnitude and phase of the solution, whereas it significantly deteriorates the torsion moment correlation. Like in the elastic deflections, more oscillatory behavior is indicated in the torsion moments with the mechanical airloads analysis.

Figure 12 shows the DYMORE predictions with internal aerodynamics and prescribed airloads against the measured structural loads. As in the CAMRAD II results, an excellent correlation is obtained by the mechanical airloads method for the flap bending moments, while the lead-lag bending and torsion moments show poor correlation against the measured data. It is indicated that the lead-lag bending moment predictions by DYMORE shows unrealistically large oscillatory behavior along the time scale. The reason is unclear at this moment. Once again, a wavier response is noticed in the torsion moment predictions when the mechanical airloads method is used. In a way, to fix this problem and also to identify the effect of damping on structural loads, the damping ratios are arbitrarily varied as 0.02 to 0.5. The results are presented in Fig. 13. A mixed response is obtained: with the damping ratio of 0.5, the peak-to-peak magnitudes are substantially reduced, thereby degrading the correlation for flap bending but improving the correlation for torsion moments, as compared with the measured data.

Fig. 12. Comparison of DYMORE predictions on blade structural loads

4. Conclusions

In this work, the accuracy of the CSD model on blade aeroelastic responses and structural loads of the HART II rotor was assessed by combining CSD and CFD methods in the form of mechanical airloads. Two different CSD codes,

Fig.13. Influence of artificial damping coefficients on blade structural loads

CAMRAD II and DYMORE, were employed to systematically validate the structural dynamic responses and double check the analysis results. For the mechanical airloads analysis, computed airloads by a three-dimensional compressible flow solver KFLOW were prescribed over the rotor blades and replaced with the CSD lifting-line airloads. To enhance the computation, the inboard region of the blades was modeled as closely as possible with the original HART II rotor. A good correlation of airloads at 87% span location was obtained by the CFD computation. The predicted results on blade elastic deflections using the prescribed airloads revealed more oscillatory behavior than those by lifting-line methods, but this became fixed and a better correlation was achieved with the inclusion of artificial damping into the rotor system. It was observed that a significant improvement of flap bending moments was obtained using the prescribed airloads method. However, torsion moment predictions demonstrated less satisfactory results compared with isolated comprehensive analysis. The fully coupled CFD/CSD approach was suggested to be employed for a more improved correlation.

Acknowledgement

This study has been supported by KARI under the Technology Development of the Bearingless Main Rotor Hub System funded by the MKE of Korea. This research was supported by Leading Foreign Research Institute Recruitment Program through the National Research Foundation of Korea (NRF) funded by the Ministry of Education, Science and technology (MEST) (K2060100001). The authors thank the HART II test team for the data.

References

- [1] Yu, Y. H., Gmelin, B., Heller, H., Philippe, J. J., Mercker, E., and Preisser, J. S., "HHC Aeroacoustics Rotor Test at the DNW - The Joint German/French/US HART Project", *20th European Rotorcraft Forum*, Amsterdam, Netherlands, 1994.
- [2] Yu, Y. H., Tung, C., van der Wall, B. G., Pausder, H. J., Burley, C., Brooks, T., Beaumier, P., Delrieux, Y., Mercker, E. and Pengel, K., "The HART-II Test: Rotor Wakes and Aeroacoustics with Higher-Harmonic Pitch Control (HHC) Inputs - The Joint German/French/ Dutch/US Project", *58th Annual AHS Forum, Montreal*, Canada, June, 2002.
- [3] Lim, J.-W., Tung, C., Yu, Y. H., Burley, C., Brooks, T., Boyd, D., van der Wall, B. G., Schneider, O., Richard, H., Rafael, M., Beaumier, P., Delrieux, Y., Pengel, K., and Mercker E., "HART II: Prediction of Blade-Vortex Interaction Loading", *29th European Rotorcraft Forum*, Friedrichshafen, Germany, Sept., 2003.
- [4] Lin, J.-W., and van der Wall, B. G., "Investigation of the Effect of a Multiple Trailer Wake Model for Descending Flights", *61st Annual AHS Forum*, Grapevine, Texas, June, 2005.
- [5] van der Wall, B. G., and Yin, J., "DLR's S4 Rotor Code Validation with HART II Data: The Baseline Case", *Int. Forum on Rotorcraft Multidisciplinary Technology*, Seoul, Korea, Oct. 15-17, 2007.
- [6] Kumar, A., Viswamurthy, S. R., and Ganguli, R., "Correlation of Helicopter Rotor Aeroelastic Response with HART II Wind Tunnel Test", *34th European Rotorcraft Forum*, Liverpool, UK, 2008.
- [7] Jung, S. N., Park, J.-S., You, Y.-H., Yu, Y. H., Kim, J.-W., Park, S. H., and Kim, D.-H., "Comparison of Rotor Structural and Aerodynamic Loads Using the HART II Test Data", *35th European Rotorcraft Forum*, Hamburg, Germany, Sept. 22-25, 2009.
- [8] Kelly, M. E., Duraisamy, K., and Brown, R. E., "Predicting Blade Vortex Interaction, Airloads and Acoustics using the Vorticity Transport Model", *AHS Specialists' Conference on*

Aeromechanics, San Francisco, CA, Jan. 23-25, 2008.

[9] Min, B.-Y., Sankar, L. N., and Yu, Y. H., "Combined Lagrangian-Eulerian Approaches for Improved Prediction of Blade-Vortex-Interaction Phenomena," *2nd Int. Forum on Rotorcraft Multidisciplinary Technology*, Seoul, Korea, Oct. 19-20, 2009.

[10] Lim, J.-W., "An Assessment of Rotor Dynamics Correlation for Descending Flight using CSD/CFD Coupled Analysis," *64th Annual AHS Forum*, Montreal, Canada, Apr. 29-May 1, 2008.

[11] Boyd Jr., D., "HART II Acoustic Predictions using a Coupled CSD/CFD Method," *64th Annual AHS Forum*, Montreal, Canada, Apr. 29-May 1, 2008.

[12] Lim, J.-W., "An Investigation of the Fuselage Effect for HART II Using a CSD/CFD Coupled Analysis," *2nd Int. Forum on Rotorcraft Multidisciplinary Technology*, Seoul, Korea, Oct. 19-20, 2009.

[13] Ormiston, R. A., "An Investigation of the Mechanical Airloads Problem for Evaluating Rotor Blade Structural Dynamics," *4th Decennial Aeromechanics Specialist Meeting*, Alexandria, VA, Jan. 2004.

[14] Ho, J. C., Yeo, H. Yeo, and Ormiston, R. A., "Investigation of Rotor Blade Structural Dynamics and Modeling Based on Measured Airloads," *Journal of Aircraft*, Vol. 45, No. 5, 2008, pp. 1631-1642.

[15] Datta, A., Sitaraman, J., Chopra, I., and Baeder, J. D., "CFD/CSD Prediction of Rotor Vibratory Loads in High Speed Flight," *Journal of Aircraft*, Vol. 43, No. 6, 2006, pp. 1698-1709.

[16] van der Wall, B. G. "A Comprehensive Rotary Wing Data Base for Code Validation: the HART II International Workshop," *Aeronautical Journal*, Vol. 115, No. 1164, 2011, pp. 91-102.

[17] Bauchau, O. A., *DYMORE User's Manual*, Georgia Institute of Technology, Atlanta, GA, Feb. 2007.

[18] Johnson, W., *CAMRAD II: Comprehensive Analytical Model of Rotorcraft Aerodynamics and Dynamics*, Johnson Aeronautics, Palo Alto, CA, 1992.

[19] Sa, J. W., Kim, J. W., Park, S. H., Park, J. S., Jung, S. N., and Yu, Y. H., "KFLOW Results of Airloads on HART II Rotor Blades with Prescribed Blade Deformation," *2nd Int. Forum on Rotorcraft Multidisciplinary Technology*, Seoul, Korea, Oct. 19-20, 2009.

[20] Thomas, P. D., and Lombard, C. K., "Geometric Conservation Law and Its Application to Flow Computations on Moving Grids," *AIAA Journal*, Vol. 17, 1979, pp. 1030-1037.

[21] Hodges, H., "A Mixed Variational Formulation Based on Exact Intrinsic Equations for Dynamics of Moving Beams," *International Journal of Solids and Structures*, Vol. 26, 1990, pp. 1253-1273.

[22] Peters, D. A., and He, C. J., "Finite State Induced Flow Models Part II: Three-Dimensional Rotor Disk," *Journal of Aircraft*, Vol. 32, No. 2, 1995, pp. 323-333.

[23] Roget, B., "Simulation of Active Twist and Active Flap Control on a Model-scale Helicopter Rotor," *24th Applied Aerodynamics Conference*, San Francisco, CA, June 5-8, 2006.

[24] Bhagwat, M. J., and Leishman, J. G., "Stability, Consistency and Convergence of Time-marching Free-vortex Rotor Wake Algorithms," *Journal of the American Helicopter Society*, Vol. 46, 2001, pp. 59-71.

[25] Yeo, H., and Johnson, W., "Assessment of Comprehensive Analysis Calculation of Airloads on Helicopter Rotors," *Journal of Aircraft*, Vol. 42, No. 5, 2005, pp. 1218-1228.

[26] van der Wall, B. G. "The Data Base of the HART II International Workshop," *Int. Conference and Exhibition on Aerospace Engineering (ICEAE)*, Bangalore, India, May 18-22, 2009.

[27] Leishman, J. G., *Principles of Helicopter Aerodynamics*, Ch. 4, Cambridge University Press, New York, NY, 2000.